

International Asset Pricing in Segmented Markets

Rohan Kekre
Berkeley Haas & NBER

Moritz Lenel
Princeton & NBER

Princeton Initiative
September 2026

International asset pricing in complete markets

- Real exchange rate q_j : price of U.S. basket in terms of basket j .
- Key condition:

$$m_{US,t+1} = m_{j,t+1} \frac{q_{j,t+1}}{q_{j,t}},$$

or in logs

$$\hat{m}_{US,t+1} = \hat{m}_{j,t+1} + \Delta \hat{q}_{j,t+1}.$$

Can use any agent's SDF to price other assets.

- Macro typically assumes tastes, technologies, and endowments. Jointly solves for exchange rate and allocations (trade).
- Finance often assumes exogenous process for SDFs. Uses above condition to pin down (change in) exchange rate.

Challenges in complete markets

- Backus and Smith 1993: with identical CRRA preferences,

$$\Delta \hat{c}_{US,t+1} - \Delta \hat{c}_{j,t+1} = -\psi \Delta \hat{q}_{j,t+1}.$$

- Brandt et al. 2006:

$$Var(\Delta q_{j,t+1}) = Var(m_{US,t+1}) + Var(m_{j,t+1}) - 2Cov(m_{US,t+1}, m_{j,t+1}).$$

- Can consumption-based SDFs account for risk premia? E.g., for currency risk premia:
 - in time-series, need high relative vol and negative correlation with relative means (Backus et al. 2001).
 - in cross-section, need low interest rate countries to have highest loadings on global shocks (Lustig et al. 2011).

Introducing asset market segmentation

- Evidence suggests specialized investors, not households, are marginal in FX markets. E.g.:
 - deviations from CIP and dealer balance sheet constraints (Du et al. 2018).
 - home (currency) bias in portfolios (Coeurdacier and Rey 2012, Maggiori et al. 2020).
 - intermediary health and currency returns (Adrian et al. 2010, Haddad and Muir 2021).
- Recent work at frontier explores theoretical implications.

Questions I'll focus on today

- Accounting for segmentation, what drives exchange rates?
- What is the scope of asset market segmentation?
- What are the implications for macroeconomic policy?
- Will offer perspectives based on three recent papers:
 - Kekre and Lenel 2024: *Exchange Rates, Natural Rates, and the Price of Risk*.
 - Kekre and Lenel 2026a: *A Model of U.S. Monetary Policy and the Global Financial Cycle*.
 - Kekre and Lenel 2026b: *What Do Asset Prices in April 2025 Say About Demand for the Dollar?*
- Conclude with many open questions for future work.

Outline

- 1 Motivation
- 2 What drives exchange rates?
- 3 What is the scope of asset market segmentation?
- 4 What are the implications for macroeconomic policy?
- 5 Conclusion and open questions

Big picture

- Recent literature: “shocks” to UIP drive exchange rate.
 - intermediation capacity (Gabaix and Maggiori 2015).
 - noise traders (Itskhoki and Mukhin 2021).
 - convenience yields (Jiang et al. 2024).
- Kekre and Lenel 2024 embraces segmentation as in these papers, but reaches a distinct conclusion:
 - UIP shocks important at high frequencies, but persistent “macro demand” shocks are main driver of dollar/G10 exchange rate.
 - incomplete markets still important for their transmission.

Model

- Two countries, U.S. and Foreign.
- U.S. representative household:
 - disc. factor β_t , CRRA, home bias ς , trade elasticity σ .
 - endowment z_t , trades bond denom. in U.S. bundle paying r_t .
- Foreign representative household similarly has β_t^* , z_t^* , and trades in bond denominated in Foreign bundle paying r_t^* .
- Arbs which trade both bonds and intermediate capital flows:
 - mean-variance preferences over wealth w. risk aversion γ_t .
 - transfer each period's profits to U.S. households.
- Driving forces: $\{\beta_t, \beta_t^*, z_t, z_t^*, \gamma_t\}$, multivariate AR(1) in logs.

Key theoretical result

- Defining $ex_{t+1} \equiv \frac{q_t}{q_{t+1}}(1 + r_t^*) - (1 + r_t)$, arb optimality:

$$\mathbb{E}_t ex_{t+1} = \gamma_t \left(q_t^{-1} b_t^{a*} \right) Var_t ex_{t+1}.$$

- To first order around SS with $\gamma Var ex_{t+1} \rightarrow \Gamma$,

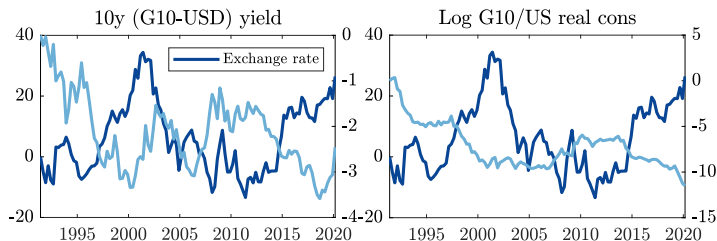
$$\hat{r}_t^* - \mathbb{E}_t \Delta \hat{q}_{t+1} - \hat{r}_t = \Gamma \hat{b}_t^{a*} + ex \hat{\gamma}_t$$

$$\Rightarrow \frac{1}{\psi} \mathbb{E}_t \Delta (\hat{c}_{t+1}^* - \hat{c}_{t+1}) = \mathbb{E}_t \Delta \hat{q}_{t+1} + \Gamma \hat{b}_t^{a*} + ex \hat{\gamma}_t - \hat{\beta}_t + \hat{\beta}_t^*.$$

⇒ **Prop:** given small Γ and each set of shocks alone:

	$\epsilon_t^z, \epsilon_t^{z*}$	$\epsilon_t^\beta, \epsilon_t^{\beta*}$	ϵ_t^γ
$Cov(\hat{q}_t, \hat{r}_t^* - \hat{r}_t)$	(-)	(-)	(+)
$Cov(\hat{q}_t, \hat{c}_t^* - \hat{c}_t)$	(+)	(-)	(-)

Dollar/G10 exchange rate in data



- Strong dollar when U.S. yields, consumption high.
 - Robust to inference with near unit roots.
- ⇒ Demand shocks appear main driver of exchange rate.
- if (trans.) supply shocks, hard to explain comovement with cons.
 - if UIP shocks, hard to explain comovement with yields.

Role of persistence and incomplete markets

- Can demand shocks explain high exchange rate vol?
near random walk behavior?
- **Prop:** yes, as β_t gets more persistent, à la Engel and West 2005.
- Persistently higher U.S. rates implies larger appreciation today:

$$\hat{q}_t = \sum_{h=0}^{\infty} \mathbb{E}_t (\hat{r}_{t+h} - \hat{r}_{t+h}^*) + \sum_{h=0}^{\infty} \mathbb{E}_t (\hat{r}_{t+h}^* - \Delta \hat{q}_{t+h+1} - \hat{r}_{t+h}).$$

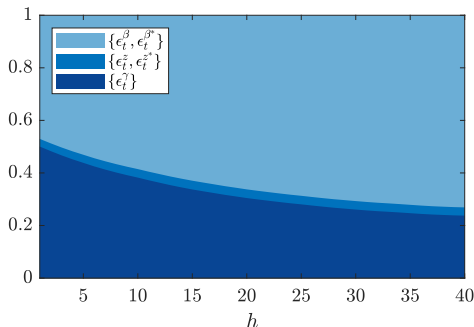
Future shocks similarly affect $q_{t+1} \Rightarrow$ predictability R^2 falls.

- Incomplete markets essential, as in Corsetti et al. 2008.
... distinguishes from Colacito and Croce 2011:
 - here, growth news propagates like β, β^* shocks.
 - but in LRR, growth news *depreciates* q , *lowers* c (and raises r).

Variance decomposition of the dollar/G10 exchange rate

- Discipline $\{z, z^*\}$ using output per capita,
 $\{\beta, \beta^*\}$ using 10y yields priced by households (EH),
 γ using EBP (Gilchrist and Zakrajsek 2012), up to scale.

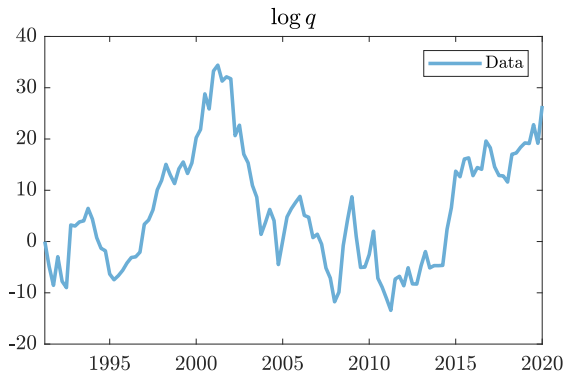
$\Rightarrow \rho^\beta, \rho^{\beta^*} = 0.98$ vs. $\rho^\gamma = 0.85$.



- Robust to replacing EBP with VIX, Treasury basis, etc.,
or simply targeting $\rho(\Delta \hat{q}_t, \Delta(\hat{r}_t^* - \hat{r}_t))$, $\rho(\hat{q}_t, \hat{r}_t^* - \hat{r}_t)$.

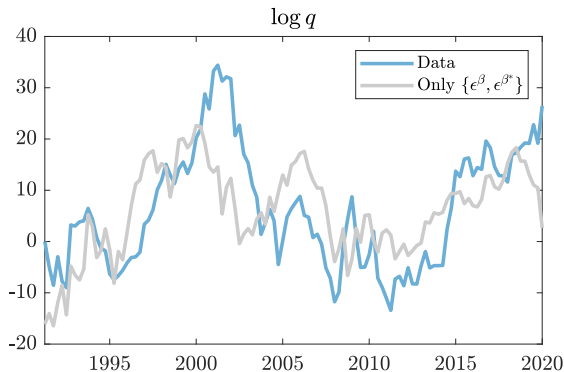
Exchange rate over 1991–2020

- Recover $\{\epsilon_t^\beta, \epsilon_t^{\beta*}, \epsilon_t^z, \epsilon_t^{z*}, \epsilon_t^\gamma\}$ from $\{r_t^{(40)}, r_t^{(40)*}, y_t, y_t^*, EBP_t\}$.



Exchange rate over 1991–2020

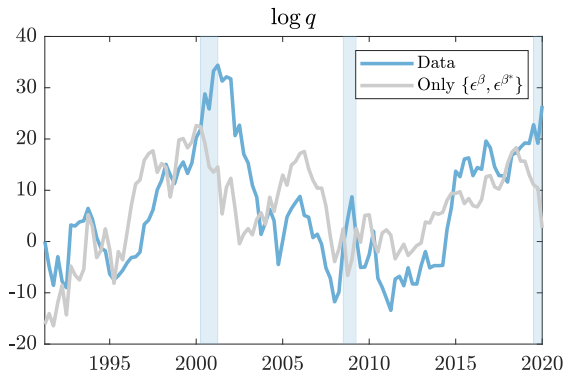
- Recover $\{\epsilon_t^\beta, \epsilon_t^{\beta*}, \epsilon_t^z, \epsilon_t^{z*}, \epsilon_t^\gamma\}$ from $\{r_t^{(40)}, r_t^{(40)*}, y_t, y_t^*, EBP_t\}$.



- β shocks account for trend, cycles, vol.

Exchange rate over 1991–2020

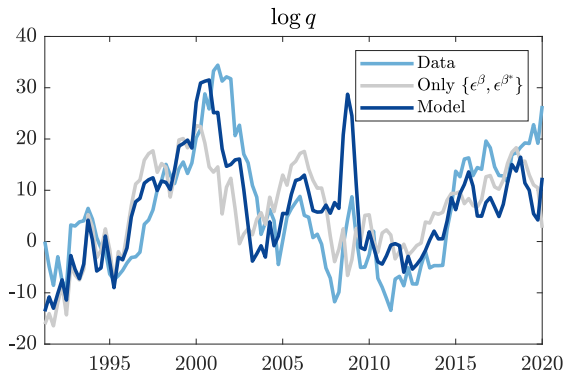
- Recover $\{\epsilon_t^\beta, \epsilon_t^{\beta*}, \epsilon_t^z, \epsilon_t^{z*}, \epsilon_t^\gamma\}$ from $\{r_t^{(40)}, r_t^{(40)*}, y_t, y_t^*, EBP_t\}$.



- β shocks account for trend, cycles, vol.
- But they miss dollar appreciation at recession onset when r low.

Exchange rate over 1991–2020

- Recover $\{\epsilon_t^\beta, \epsilon_t^{\beta*}, \epsilon_t^z, \epsilon_t^{z*}, \epsilon_t^\gamma\}$ from $\{r_t^{(40)}, r_t^{(40)*}, y_t, y_t^*, EBP_t\}$.



- β shocks account for trend, cycles, vol.
- But they miss dollar appreciation at recession onset when r low.
- With γ shocks matching EBP, better account for recessions.

Outline

- 1 Motivation
- 2 What drives exchange rates?
- 3 What is the scope of asset market segmentation?
- 4 What are the implications for macroeconomic policy?
- 5 Conclusion and open questions

Is risk pricing across asset markets integrated?

- Kekre and Lenel 2024 challenges “FX disconnect”:
common drivers of FX and bonds (and broader economy).
- But is *risk pricing* in FX and bond market integrated?
And what about risk pricing along cross-section of FX?
- Recent work examining these questions:
 - PE: Greenwood et al. 2023, Gourinchas et al. 2025.
 - GE: Kekre and Lenel 2026a, Kekre and Lenel 2026b.
- First describe theory, and then present evidence suggesting integrated risk pricing in FX and bonds:
 - QE/QT surprises.
 - April 2 tariff announcement.
 - U.S. monetary surprises (later).

Arbitrageurs in multiple FX, long-term bonds

- Extend model from last section so that:
 - $n > 2$ countries.
 - arbs trade short bond paying $r_{j,t}$, consol at price $p_{j,t}^\delta$, decay δ .
 - households freely trade local short bond but take inelastic positions (perhaps zero) in all other bonds.

- Define $ex_{j,t+1} = \frac{q_{j,t}}{q_{j,t+1}}(1 + r_{j,t}) - (1 + r_{1,t})$,
 $ex_{j,t+1}^\delta = \frac{q_{j,t}}{q_{j,t+1}} \left(\frac{1 + \delta p_{j,t+1}^\delta}{p_{j,t}^\delta} \right) - (1 + r_{1,t})$.

- Arb optimality conditions are now

$$\mathbb{E}_t ex_{j,t+1} = \gamma_t \left[\sum_{k=2}^n q_{k,t}^{-1} b_{ak,t} Cov_t(ex_{j,t+1}, ex_{k,t+1}) + \sum_{k=1}^n q_{k,t}^{-1} b_{ak,t}^\delta Cov_t(ex_{j,t+1}, ex_{k,t+1}^\delta) \right]$$

and analog for $\mathbb{E}_t ex_{j,t+1}^\delta$.

⇒ To first order around SS (again with $\gamma\sigma^2 \rightarrow \Gamma$),

$$\mathbb{E}_t \hat{e}x_{j,t+1} = ex_j \hat{\gamma}_t + \sum_{k=2}^n \text{Cov}(ex_{j,+1}, ex_{k,+1}) q_k^{-1} \hat{b}_{ak,t} + \dots$$

and analog for $\mathbb{E}_t ex_{j,t+1}^\delta$.

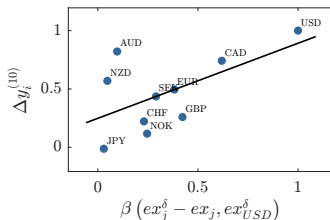
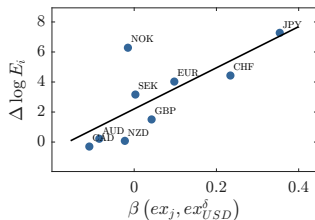
- Implications of integrated risk pricing:
 - asset supply shocks spill over according to $\text{Cov}(\cdot)$.
 - arb risk aversion shocks affect prices according to ex_j, ex_j^δ .

Global effects of QE/QT

- Consider increase in arbitrageur position in long-term dollar bonds, $b_{aUSD,t}^{\delta}$ (say, due to U.S. QT).
- Effect on exchange rate depends on $Cov_t \left(ex_{j,t+1}, ex_{USD,t+1}^{\delta} \right)$.
 - if foreign currency appreciates at same time U.S. bonds pay well, then $E_t ex_{j,t+1}$ must rise.
- Effect on foreign term premium similarly depends on $Cov_t \left(ex_{j,t+1}^{\delta} - ex_{j,t+1}, ex_{USD,t+1}^{\delta} \right)$.
 - note $ex_{j,t+1}^{\delta} - ex_{j,t+1} = \frac{q_{j,t}}{q_{j,t+1}} \left(\frac{1+\delta p_{j,t+1}^{\delta}}{p_{j,t}^{\delta}} - (1+r_{j,t}) \right)$.
- “Portfolio balance” mechanism of Tobin 1969, Kouri 1976.

Global effects of QE/QT

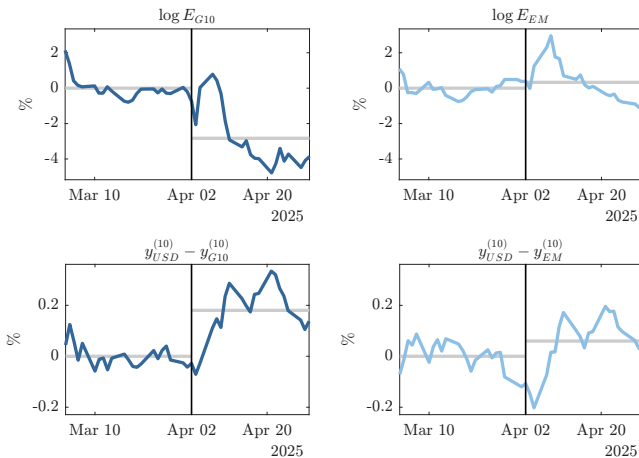
- Kekre and Lenel 2026a compare responses to Swanson 2021 QE/QT surprises versus estimated $\text{Cov}(\cdot)$:



- Consistent with portfolio balance under integrated risk pricing.

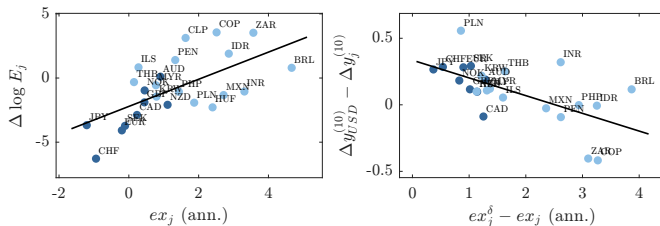
Responses to April 2 tariff announcement

- USD depreciated at the same time USD yields rose.
- Less well known: responses vs. EMs were much smaller:



Responses to April 2 tariff announcement

- Kekre and Lenel 2026b document that cross-sectional responses line up with ex_j , ex_j^δ :



- Consistent w/ higher risk aversion under integrated risk pricing.

Outline

- 1 Motivation
- 2 What drives exchange rates?
- 3 What is the scope of asset market segmentation?
- 4 What are the implications for macroeconomic policy?
- 5 Conclusion and open questions

Taking stock so far

- So far: asset pricing in intermediated global financial markets.
- Findings:
 - risk pricing across assets is integrated.
 - shocks driving asset prices also matter for consumption.
- Kekre and Lenel 2026a, Kekre and Lenel 2026b study implications for policy:
 - balance sheet policy is non-neutral, and spills over across assets and countries.
 - even conventional policy may affect risk pricing if it affects risk-bearing capacity of marginal agents.

Balance sheet policy is non-neutral

- j 's govt selling dollar bonds for j 's bonds affects allocations.
 $\Rightarrow b_{aUSD,t}$ rises, $b_{aj,t}$ falls.
- j 's govt selling long bonds for short bonds affects allocations.
 $\Rightarrow b_{aj,t}^\delta$ rises, $b_{aj,t}$ falls.
- In both cases, changes in asset prices affect real economy.
 - change in exchange rate affects intratemporal expenditure.
 - change in interest rate affects consumption/savings.

How big are the effects?

- In Kekre and Lenel 2026b, we answer reverse question: how big must portfolio flows be to rationalize exchange rate movements, as around April 2?

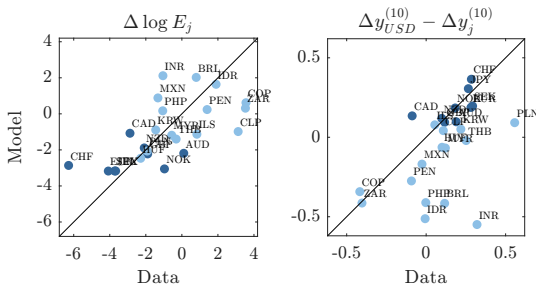
- Recall

$$E_t \hat{e}x_{j,t+1} = \Gamma \sum_{k=2}^n \text{Cov}(ex_{j,+1}, ex_{k,+1}) \hat{b}_{ak,t} + \dots$$

- Magnitude of flows to match asset prices depends on:
 - ① Γ , governing response of risk premia to flows;
 - ② persistence, since prices depend on expected path of risk premia.
- We discipline Γ to match effect of U.S. QE1, and consider range of assumptions on persistence.

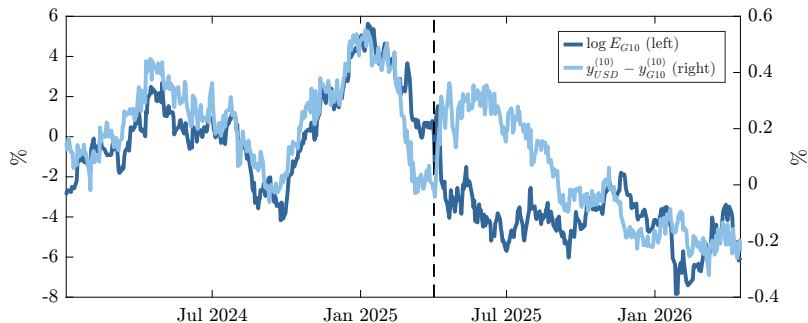
Interpreting April 2, 2025 using an equilibrium model

- ⇒ 3 – 12% decline in demand for dollar bonds (vs. U.S. GDP).
Simultaneous increase in risk aversion, explaining cross-section.



- Consistent w/ (news of) USD hedging (Shin et al. 2025).
Only a fraction of foreign-owned portfolio in national accts.
- Rebalancing can be gradual — *news* has price impact.
- Meaningful macro effect: U.S. consumption falls 0.3 – 0.4pp.

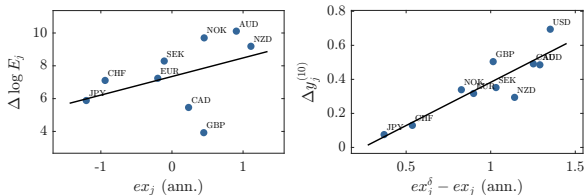
(Ex-post, shocks appear to have reverted)



- News about interest rate differentials again appear dominant driver of dollar/G10 exchange rate.

U.S. monetary policy transmission

- In Kekre and Lenel 2026a, we use similar framework to understand global transmission of conventional monetary policy.
- Prior work: U.S. monetary policy has disproportionate effects on global risky asset prices (e.g., Rey 2015).
- We show global FX, bond yield responses to Bauer and Swanson 2023 surprises line up with ex_j , ex_j^δ :



Consistent w/ higher arb risk aversion (not portfolio balance).

Arbitrageurs' wealth revaluation

- Why might U.S. monetary policy affect arb risk aversion?
- We propose an explanation based on revaluation of arb wealth:
 - assume arbs dividend out only a fraction of profits, so wealth is add'l state variable.
 - further modify arb preferences to be

$$\mathbb{E}_t \pi_{t+1}^a - \frac{\gamma_t}{2w_{a,t}} \text{Var}_t \pi_{t+1}^a,$$

which implies portfolio choice like CRRA (vs. CARA).

- key idea: if arbs hold foreign currency assets financed in USD, USD appreciation lowers $w_{a,t}$ and raises price of risk.
- Extends Kekre and Lenel 2022, Kekre et al. 2026 to open economy.

Arbitrageur portfolios

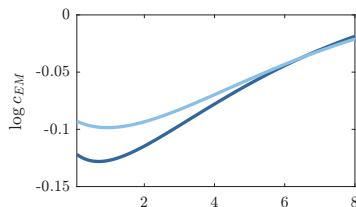
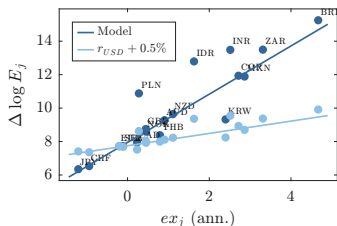
- Are arbs short the dollar? — who are they? derivatives?
- Complementary approach: exploit mean-variance efficiency. Since $\mathbf{ex} = \frac{\Gamma}{w_a} \mathbf{C} \mathbf{b}_a$, we have $\frac{1}{w_a} \mathbf{b}_a = \frac{1}{\Gamma} \mathbf{C}^{-1} \mathbf{ex}$.
- Mean-variance efficient portfolio shares (per currency):

	USD	CHF, EUR, JPY	Other G10	EM
$\Gamma = 1$	-3.1	-0.7	-0.4	1.0
$\Gamma = 1$, G10 avg as base	-5.2	-1.5	-0.3	1.4
$\Gamma = 1$, G10 IBOR yields	-1.4	-1.0	-0.1	0.7
$\Gamma = 1$, no 10-year bonds	-4.4	-0.3	-0.5	1.0
$\Gamma = 1$, 2008-2024	-2.4	-1.2	-0.4	1.0

- USD return *and* residual risk to USD funding are low.

Insights from model

- Responses to ECB surprises do not line up with $\{ex_j, ex_j^\delta\}$ b/c arbs not as exposed to euro.
- Heterogeneous spillovers through risk dominate trade.
- Effect on risk pricing $\Rightarrow$ “sudden stop” in EMs vs. G10.
- Higher dollar interest rates would imply weaker spillovers:



Outline

- 1 Motivation
- 2 What drives exchange rates?
- 3 What is the scope of asset market segmentation?
- 4 What are the implications for macroeconomic policy?
- 5 Conclusion and open questions

- Segmentation matters, but FX is not “disconnected”.
- Risk pricing is integrated across FX and bond markets.
- Balance sheet and conventional policy affect global risk pricing.

Many open questions

- Nature of “macro demand shocks” driving exchange rates (growth news, fiscal policy, credit conditions, uncertainty).
- Structural account of cross-section of FX and bond returns.
- Is risk pricing in FX and bond markets integrated with other markets (e.g., equities)? At what horizon?
- Who are the arbs? Likely different agents at different horizons.
- Optimal policy under segmentation but integrated risk pricing.
- **Please contribute!**

References I

Adrian, Tobias, Erkki Etula, and Hyun Song Shin (2010). “Risk appetite and exchange rates”. In: *Working paper*.

Backus, David K., Silverio Foresi, and Chris I. Telmer (2001). “Affine term structure models and the forward premium anomaly”. In: *Journal of Finance* 61.1, pp. 279–304.

Backus, David K. and Gregor W. Smith (1993). “Consumption and real exchange rates in dynamic economies with non-traded goods”. In: *Journal of International Economics* 35.3-4, pp. 297–316.

Bauer, Michael D. and Eric T. Swanson (2023). “A reassessment of monetary policy surprises and high-frequency identification”. In: *NBER Macroeconomics Annual* 37.1, pp. 87–155.

References II

Brandt, Michael W., John H. Cochrane, and Pedro Santa-Clara (2006). “International risk sharing is better than you think, or exchange rates are too smooth”. In: *Journal of Monetary Economics* 53, pp. 671–698.

Coeurdacier, Nicolas and Helene Rey (2012). “Home bias in open economy financial macroeconomics”. In: *Journal of Economic Literature* 51.1, pp. 63–115.

Colacito, Riccardo and Mariano M. Croce (2011). “Risks for the long run and the real exchange rate”. In: *Journal of Political Economy* 119.1, pp. 153–182.

Corsetti, Giancarlo, Luca Dedola, and Sylvain Leduc (2008). “International risk sharing and the transmission of productivity shocks”. In: *Review of Economic Studies* 75, pp. 443–473.

References III

- Du, Wenxin, Alexander Tepper, and Adrien Verdelhan (2018). “Deviations from covered interest parity”. In: *Journal of Finance* 73.3, pp. 915–957.
- Engel, Charles and Kenneth D. West (2005). “Exchange rates and fundamentals”. In: *Journal of Political Economy* 113.3, pp. 485–517.
- Gabaix, Xavier and Matteo Maggiori (2015). “International liquidity and exchange rate dynamics”. In: *Quarterly Journal of Economics* 130.3, pp. 1369–1420.
- Gilchrist, Simon and Egon Zakrajsek (2012). “Credit spreads and business cycle fluctuations”. In: *American Economic Review* 102.4, pp. 1692–1720.

References IV

- Gourinchas, Pierre-Olivier, Walker Ray, and Dimitri Vayanos (2025). “A preferred-habitat model of term premia, exchange rates, and monetary policy spillovers”. In: *American Economic Review* 115.11, pp. 3788–3824.
- Greenwood, Robin et al. (2023). “A quantity-driven theory of term premia and exchange rates”. In: *Quarterly Journal of Economics* 138.4, pp. 2327–2389.
- Haddad, Valentin and Tyler Muir (2021). “Do intermediaries matter for aggregate asset prices?” In: *Journal of Finance* 76.6, pp. 2719–2761.
- Itskhoki, Oleg and Dmitry Mukhin (2021). “Exchange rate disconnect in general equilibrium”. In: *Journal of Political Economy* 129.8.

References V

Jiang, Zhengyang et al. (2024). “Convenience yields and exchange rate puzzles”. In: *Working paper*.

Kekre, Rohan and Moritz Lenel (2022). “Monetary policy, redistribution, and risk premia”. In: *Econometrica* 90.5, pp. 2249–2282.

— (2024). “Exchange rates, natural rates, and the price of risk”. In: *Working paper*.

— (2026a). “A model of U.S. monetary policy and the global financial cycle”. In: *Working paper*.

— (2026b). “What do asset prices in April 2025 say about demand for the dollar?” In: *Working paper*.

References VI

Kekre, Rohan, Moritz Lenel, and Federico Mainardi (2026).

“Monetary policy, segmentation, and the term structure”. In: *Working paper*.

Kouri, Pentti J.K. (1976). “The exchange rate and the balance of payments in the short run and in the long run: a monetary approach”. In: *Scandinavian Journal of Economics* 78, pp. 280–304.

Lustig, Hanno, Nikolai Roussanov, and Adrien Verdelhan (2011).

“Common risk factors in currency markets”. In: *Review of Financial Studies* 24.11, pp. 3731–3777.

Maggiore, Matteo, Brent Neiman, and Jesse Schreger (2020).

“International currencies and capital allocation”. In: *Journal of Political Economy* 128.6, pp. 2019–2066.

References VII

- Rey, Helene (2015). “International channels of transmission of monetary policy and the Mundellian trilemma”. In: *Mundell Fleming Lecture*.
- Shin, Hyun Song, Philip Wooldridge, and Dora Xia (2025). “US dollar's slide in April 2025: the role of FX hedging”. In: *BIS Bulletin* 105.
- Swanson, Eric T. (2021). “Measuring the effects of federal reserve forward guidance and asset purchases on financial markets”. In: *Journal of Monetary Economics* 118, pp. 32–53.
- Tobin, James (1969). “A general equilibrium approach to monetary theory”. In: *Journal of Money, Credit, and Banking* 1.1, pp. 15–29.